

MA 2733

Worksheet 6 / Review – October 18, 2016

Name \_\_\_\_\_

1. Find a power series representation for  $\ln(3 + x)$ .

2. Find a power series representation for  $\frac{1}{(1 - x) \cdot (1 - 2x)}$ .

3. Using the fact that  $e^x = \sum_{n=0}^{\infty} \frac{1}{n!} \cdot x^n$ , find a power series representation for  $e^{x^2}$ .

## Review of main topics for Exam 2

### Chapter 11

series convergence —  $\left\{ \begin{array}{l} \text{Direct Comparison Test (DCT)} \\ \text{Ratio Test (RT)} \\ \text{Alternating Series Test (AST)} \\ \text{absolute convergence} \end{array} \right.$

*(remember that the AST doesn't give absolute convergence)*

power series — interval and radius of convergence

power series operations —  $\left\{ \begin{array}{l} \text{"plug in" — } x, x^2, \text{ etc} \\ \text{addition} \\ \text{multiply by } x, x^2, \text{ etc} \\ \text{differentiate} \\ \text{integrate} \end{array} \right.$

Using power series operations to represent functions as power series.

Proofs, explanations, and derivations that are fair game

---

rearranging conditionally convergent series to add to 17 (or any other number)

derivative of  $\sum c_n x^n$

integral of  $\sum c_n x^n$

basic cases of Taylor Coefficient Theorem